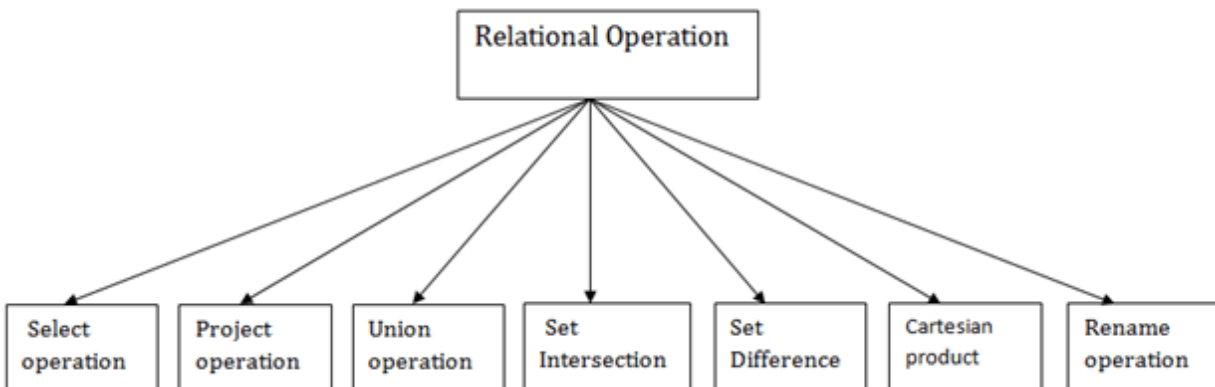


## Relational Algebra

Relational algebra is a procedural query language. It gives a step by step process to obtain the result of the query. It uses operators to perform queries.

### Types of Relational operation



#### 1. Select Operation:

- o The select operation selects tuples that satisfy a given predicate.
- o It is denoted by sigma ( $\sigma$ ).
- 1. Notation:  $\sigma_p(r)$

#### Where:

$\sigma$  is used for selection prediction  $r$  is used for relation  $p$  is used as a propositional logic formula which may use connectors like: AND OR and NOT. These relational can use as relational operators like  $=, \neq, \geq, <, >, \leq$ .

#### For example: LOAN Relation

BRANCH_NAME	LOAN_NO	AMOUNT
Downtown	L-17	1000
Redwood	L-23	2000
Perryride	L-15	1500
Downtown	L-14	1500
Mianus	L-13	500
Roundhill	L-11	900
Perryride	L-16	1300

**INPUT:**

$\sigma$  BRANCH\_NAME="perryride" (LOAN)

**Output:**

<b>BRANCH NAME</b>	<b>LOAN NO</b>	<b>AMOUNT</b>
Perryride	L-15	1500
Perryride	L-16	1300

## **2. Project Operation:**

This operation shows the list of those attributes that we wish to appear in the result. Rest of the attributes are eliminated from the table.

It is denoted by  $\Pi$ .

Notation:  $\Pi$  A1, A2, An (r)

Where

A1, A2, A3 is used as an attribute name of relation r.

### **Example: CUSTOMER RELATION**

<b>NAME</b>	<b>STREET</b>	<b>CITY</b>
Jones	Main	Harrison
Smith	North	Rye
Hays	Main	Harrison
Curry	North	Rye
Johnson	Alma	Brooklyn
Brooks	Senator	Brooklyn

**Input:**

$\Pi$  NAME, CITY (CUSTOMER)

**Output:**

**NAME**

**CITY**

Johns

Harrison

Smith

Rye

Hays

Harrison

Curry

Rye

Johnson

Brooklyn

Brooks

Brooklyn

**3. Union Operation:**

Suppose there are two tuples R and S. The union operation contains all the tuples that are either in R or S or both in R & S.

It eliminates the duplicate tuples. It is denoted by  $\cup$ .

Notation:  $R \cup S$

A union operation must hold the following condition:

R and S must have the attribute of the same number.

Duplicate tuples are eliminated automatically.

Example:

**DEPOSITOR RELATION**

<b>CUSTOMER NAME</b>	<b>ACCOUNT_NO</b>
Johnson	A-101
Smith	A-121
Mayes	A-321
Turner	A-176
Johnson	A-273
Jones	A-472
Lindsay	A-284

**BORROW RELATION**

<b>CUSTOMER_NAME</b>	<b>LOAN_NO</b>
Jones	L-17
Smith	L-23
Hayes	L-15
Jackson	L-14
Curry	L-93
Smith	L-11
Williams	L-07

**Input:**

$\Pi$  CUSTOMER\_NAME (BORROW)  $\cup$   $\Pi$  CUSTOMER\_NAME (DEPOSITOR)

**Output:**

**CUSTOMER NAME**

Johnson

Smith

Hayes  
Turner  
Jones  
Lindsay  
Jackson  
Curry  
Williams  
Mayes

#### 4. Set Intersection:

Suppose there are two tuples R and S. The set intersection operation contains all tuples that are in both R & S.

It is denoted by intersection  $\cap$ .

Notation:  $R \cap S$

**Example:** Using the above DEPOSITOR table and BORROW table

**INPUT:**

$\Pi$  CUSTOMER\_NAME (BORROW)  $\cap$   $\Pi$  CUSTOMER\_NAME (DEPOSITOR)

**OUTPUT:**

**CUSTOMER NAME**

Smith  
Jones

#### 5. Set Difference:

Suppose there are two tuples R and S. The set intersection operation contains all tuples that are in R but not in S.

It is denoted by intersection minus (-).

Notation: R - S

**Example:** Using the above DEPOSITOR table and BORROW table

**Input:**

$\Pi$  CUSTOMER\_NAME (BORROW) -  $\Pi$  CUSTOMER\_NAME (DEPOSITOR)

**Output:**

**CUSTOMER NAME**

Jackson  
Hayes  
Williams  
Curry

## 6. Cartesian Product:

The Cartesian product is used to combine each row in one table with each row in the other table. It is also known as a cross product.

It is denoted by X.

Notation: E X D

Example:

**EMPLOYEE**

<b>EMP_ID</b>	<b>EMP_NAME</b>	<b>EMP_DEPT</b>
1	Smith	A
2	Harry	C

3

John

B

## DEPARTMENT

DEPT\_NO

DEPT\_NAME

A

Marketing

B

Sales

C

Legal

### Input:

EMPLOYEE X DEPARTMENT

### Output:

EMP_ID	EMP_NAME	EMP_DEPT	DEPT_NO	DEPT_NAME
1	Smith	A	A	Marketing
1	Smith	A	B	Sales
1	Smith	A	C	Legal
2	Harry	C	A	Marketing

## 7. Rename Operation:

The rename operation is used to rename the output relation. It is denoted by  $\rho$  ( $\rho$ ).

**Example:** We can use the rename operator to rename STUDENT relation to STUDENT1.

$\rho(\text{STUDENT1}, \text{STUDENT})$

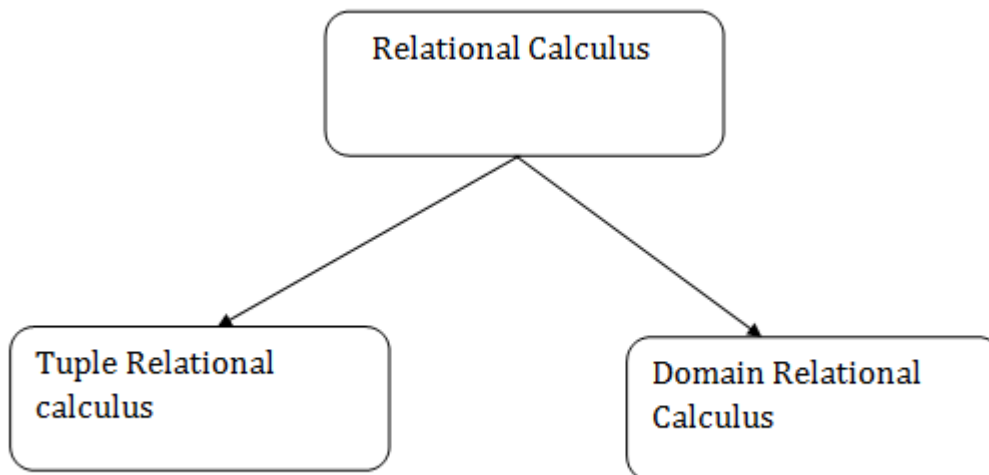
**Note:** Apart from these common operations Relational algebra can be used in Join operations.

## Relational Calculus

Relational calculus is a non-procedural query language. In the non-procedural query language, the user is concerned with the details of how to obtain the end results.

- The relational calculus tells what to do but never explains how to do.

### Types of Relational calculus:



#### 1. Tuple Relational Calculus (TRC)

- The tuple relational calculus is specified to select the tuples in a relation. In TRC, filtering variable uses the tuples of a relation.

- The result of the relation can have one or more tuples.

#### Notation:

$\{T \mid P(T)\}$  or  $\{T \mid \text{Condition}(T)\}$

Where



**T is the resulting tuples**

**P(T)** is the condition used to fetch T.

**For example:**

{ T.name | Author(T) AND T.article = 'database' }

**OUTPUT:** This query selects the tuples from the AUTHOR relation. It returns a tuple with 'name' from Author who has written an article on 'database'.

TRC (tuple relation calculus) can be quantified. In TRC, we can use Existential ( $\exists$ ) and Universal Quantifiers ( $\forall$ ).

**For example:**

{ R |  $\exists T \in \text{Authors}(T.\text{article}='database' \text{ AND } R.\text{name}=T.\text{name})$ }

**Output:** This query will yield the same result as the previous one.

## 2. Domain Relational Calculus (DRC)

- The second form of relation is known as Domain relational calculus. In domain relational calculus, filtering variable uses the domain of attributes.
- Domain relational calculus uses the same operators as tuple calculus. It uses logical connectives  $\wedge$  (and),  $\vee$  (or) and  $\neg$  (not).
- It uses Existential ( $\exists$ ) and Universal Quantifiers ( $\forall$ ) to bind the variable

**Notation:**

{ a1, a2, a3, ..., an | P (a1, a2, a3, ... ,an)}

**Where**

**a1, a2** are attributes **P** stands for formula built by inner attributes

**For example:**

$\{ \langle \text{article, page, subject} \rangle \mid \in \text{javatpoint} \wedge \text{subject} = \text{'database'} \}$

**Output:** This query will yield the article, page, and subject from the relational javatpoint, where the subject is a database.